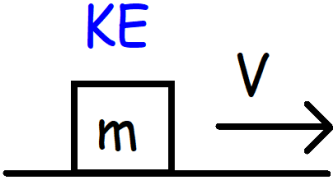
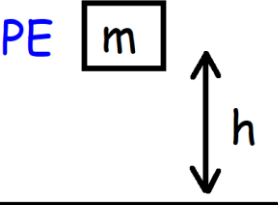
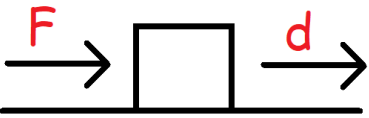
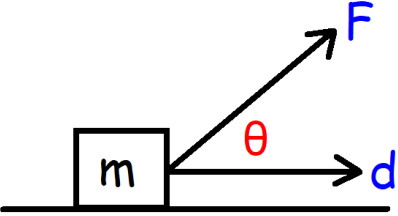
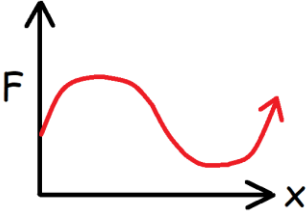
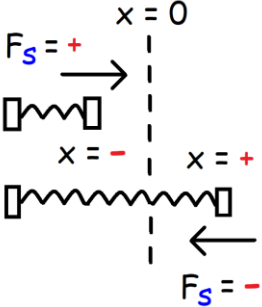
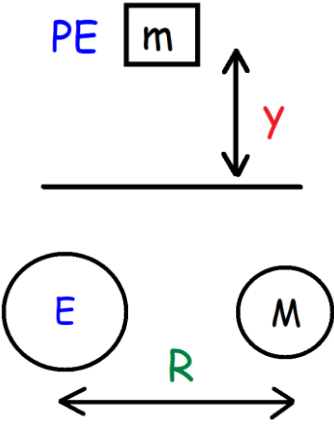
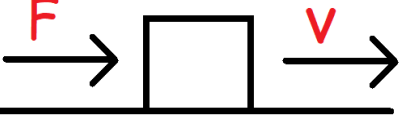
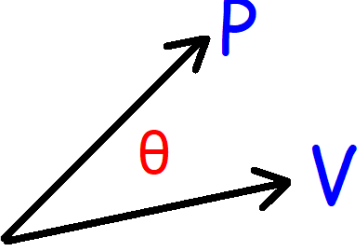
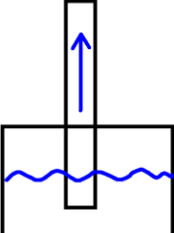


Work, Energy, and Power – Formula Sheet:

 <p style="text-align: center; color: blue; font-weight: bold;">KE</p>	<p>Kinetic Energy:</p> $KE = \frac{1}{2}mv^2$ <p>Note: Objects in motion have kinetic energy.</p>
 <p style="text-align: center; color: blue; font-weight: bold;">PE</p>	<p>Potential Energy: $PE = U_G$</p> $PE = mgh \quad U_G = mgy$ <p>Note: Objects that have the ability to fall under the influence of gravity has potential energy.</p>
	<p>Work Done by a Constant Force:</p> $W = Fd$
	<p>Work Done by a Constant Force at an Angle:</p> $W = Fd \cos \theta$ $W = \vec{F} \cdot \vec{d}$ $W = F_x d_x + F_y d_y$
	<p>Work Done by a Varying Force:</p> $W = \int_a^b F(x)dx$ <p style="text-align: center;">$W = \text{Area under the curve}$</p>
<p>Simple Definition of Energy: The ability to do work.</p> <p>Definition of Work: The transfer of energy that occurs by means of a force.</p>	<p>Work-Energy Theorem:</p> $W_{net} = \Delta KE$ $W_{net} = \frac{1}{2}m[v_F^2 - v_0^2]$ $W_{net} = W_c + W_{nc}$

<p>Conservation Forces:</p> <ol style="list-style-type: none"> 1. Gravitational force 2. Electric force 3. Elastic force 	<p>Work Done by a Conservative Force:</p> $W_c = -\Delta U = -\Delta PE$ <p>Work Done by Gravity:</p> $W_G = -\Delta U_G = -mg(y_2 - y_1)$ <p>Work Done by the Elastic Spring Force:</p> $W_S = -\Delta U_S = -\frac{1}{2}k[x_F^2 - x_0^2]$ <p>Work Done by the Electric Force:</p> $W_E = -\Delta U_E = -q\Delta V = -q[V_F - V_0]$
<p>Nonconservative Forces:</p> <ol style="list-style-type: none"> 1. Applied Force 2. Tension Force 3. Frictional Force 	<p>Work Done by a Nonconservative Force:</p> $W_{nc} = \Delta ME$
<p>Conservation of ME:</p> <p>Mechanical energy is conserved when only conservative forces are present in the system.</p>	<p>Conservation of Energy:</p> $ME = KE + PE$ $W_{nc} = W_{net} - W_c$ $W_{nc} = \Delta ME \quad W_{net} = \Delta KE \quad W_c = -\Delta PE$
<p>Derivatives:</p> $F_x = -\frac{d}{dx}[U(x)]$	<p>Force – Potential Energy Integral Relationship:</p> $U(x) = -\int F(x)dx \quad \Delta U = -\int_a^b F(x)dx$
 <p>The diagram shows a spring with a vertical dashed line representing the equilibrium position at $x = 0$. To the left of the equilibrium position ($x < 0$), the spring is compressed, and a blue arrow labeled $F_s = +$ points to the right. To the right of the equilibrium position ($x > 0$), the spring is stretched, and a blue arrow labeled $F_s = -$ points to the left.</p>	<p>Restoring Force of a Spring:</p> $F_s = -kx$ <p>Elastic Potential Energy of a Spring:</p> $U_s = \frac{1}{2}kx^2$ $U(x) = -\int F(x) dx = -\int -kx dx = \frac{1}{2}kx^2 + C$

	<p>Gravitational Potential Energy:</p> <p>GPE for objects near the surface of Earth:</p> $U_G = mgy$ <p>GPE between two large planetary masses:</p> $U_G = \frac{GM_1M_2}{R}$
<p>Definition: Power is the rate at which energy is transferred.</p>	<p>Power:</p> $P = \frac{Work}{Time}$
	<p>Power – With Constant Velocity:</p> $P = Fv$ <p>Average Power – With Constant Acceleration:</p> $\bar{P} = \frac{1}{2}F(v_o + v_f)$
	<p>Power – Dot Product Formula:</p> $P = \vec{F} \cdot \vec{v}$ $P = Fv \cos \theta$ $P = F_x v_x + F_y v_y$
	<p>Power of a Water Pump:</p> $P = \left(\frac{m}{t}\right) gh$ <p>Note: The quantity m/t is the mass flow rate in kg/s.</p>